

PHYSICS AND ENGINEERING PHYSICS

SuperDARN Doppler velocity correction for half-hop echoes

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What are we wondering about? Why?



General objective:

Revisit the relationship "HF Doppler velocity - ExB drift" for echoes received through 1/2 hop (direct) propagation mode

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Consider HF velocity correction by

1) NmF2 from ISR concurrent measurements (traditional)

2) Ne from HF elevation angle measurements (news)

Geometry of Rankin Inlet SuperDARN and RISR-C, cartoon



Two issues are paid attention to

1. Echo geolocation

2. Velocity correction by refractive index

Geometry of Rankin Inlet SuperDARN and RISR-C, details on a map



Pink dots – geolocation of RKN gate centers, standard SuperDARN model

Blue diamonds – expected echo geolocations for beam 5 echoes in a short event

Triangles – centers of RISR-C gates

Assessing geolocation of HF echoes received via ¹/₂-hop propagation mode



$$h_{virtual} = [R^2 + r^2 + 2rR\sin\alpha]^{\frac{1}{2}} - R$$

ground range =
$$R \cdot \sin^{-1} \left[\frac{r \cdot \cos \alpha}{R + h_{virt}} \right]$$

Do we need to "correct" RKN gate geolocation?





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On average, the differences are not huge, but all depends on time sector. Improved geolocation determination is highly desired.

SuperDARN velocity "correction" with NmF2 ("traditional")

$$Vel_{ExB}(along HF beam) = Vel_{HF}(measured) \cdot \frac{1}{n_r}$$

$$n_r = \sqrt{1 - \frac{f_p^2}{f_r^2}}; \quad f_p^2 = \frac{e^2 N_m F_2}{4\pi^2 m_e \varepsilon_0}$$

 $N_m F_2$

To be taken from ISR data or ionosonde data or ionospheric model

SuperDARN velocity "correction" with elevation angle data (newly proposed)

1

$$Vel_{ExB}(along HF beam) = Vel_{HF}(measured) \cdot \frac{1}{n_r}$$

$$n_r = \frac{R}{R+h} \frac{\cos \alpha}{\sin I_B}$$

Assumed h=250 km. I_B=10deg



















6-min averaged data



Slopes of the best fit line (considering errors in X and Y)

	Uncorrected	NmF2 corrected	Elevation corrected
10 MHz	0.84	1.03	0.96
12 MHz	0.88	0.99	1.00



Conclusions

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Corrections based on NmF2 produce more often values **above** the reference $\mathbf{E} \times \mathbf{B}$ drift observed by RISR. For these cases, NmF2 is large = dense ionosphere. Echoes are likely detected from heights well below h_mF2.

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Statistically speaking, elevation-angle based HF velocity corrections produce better results compared to those based on NmF2.

Thank you